Parallel Switching Regulatory Control of Iron Ore Flowrate from Multiple with Time Delay

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Abstract — The suitable performance of an industrial process needs regulatory control loops to adjust the main process variables to their specified reference values (set-points), and to compensate for eventual load disturbances on the process. Regulatory control is fundamentally used in the industry for stabilizing process variables, and it is generally implemented through the plantwide control system architecture (SCADA or DCS). The absence or inefficiency of control in an industrial process always implies in losses of productivity, so that regulatory control is a key issue for improving process performance. In this context, this article presents the development and implementation of a control strategy for regulating the output mass flow (in t/h) of a Crushing facility in the Carajás Iron Ore Processing Plant I. The facility has eight feeders in parallel, and the goal is to control them so that their resulting combined output flow matches a specified production set-point (in t/h). The article first explains the process, the control problem, and the transfer function model of the process. Subsequently, one is presented the control strategy, which is based on a switching between a constant and a PI control action. The suitability of the strategy was investigated through computational simulations. Finally, the results and conclusions are discussed.

Index Terms— mass flowrate control, regulatory control, PID control, programmable logic controller, supervisory control and data acquisition, switching control.

I. INTRODUCTION

MINERAL processing plants are formed by several processing facilities, involving stages of crushing, screening, classifying, grinding, hydrocycloning, and filtration, among others. The Carajás Iron Ore Processing Plant I, that belongs to VALE, had been responsible for an 83 million tons annual production (year 2005), mostly destined to exportation, having as main customers: Japan, Germany, China, Korea, and France. Its high installed capacity and high daily production goals, of about 260,000 tons/day, has demanded better practices of industrial operation, maintenance and automation. The Automation Department is responsible for the definition, implantation, and quality assurance of control strategies to improve productivity and reduce wastefulness in the plants by the use of automation resources. In this scenario, this work addresses the problem of improving the production control of a Crushing facility of the referred plant.

II. ORE CRUSHING FACILITY

The Secondary Crushing facility of the Carajás Iron ore Plant [1;2;3] is shown in Figures 1 and 2. It’s formed by a large bin with eight cells, each of them having a feeder and a screen, besides four crushers, a recirculation conveyor, and an output conveyor. This facility receives a raw ore from Primary Crushing facilities located far inside the mine, and its function is to reduce such ore to a maximum output size of 75 mm. The primary ore comes through an input conveyor assembled to a tripper car which discharges the ore inside the bin. The tripper moves forward and backward along the bin to spread the ore in the cells. Each cell has a nominal volumetric capacity of 1,040 m³, corresponding to 5,200 t, in average, depending on the density, moisture content, and size distribution of the ore. Figure 3 shows one of the feeders under the bin. The feeders discharge the ore on their respective screens, which separate the fine ore (< 75 mm) from the coarse ore (≥ 75 mm). This 75-mm separation size is defined by the hole size of the screens meshes, and is termed as “cut-off size”.

The primary ore contains, in average, 90% of fine and 10% of gross material. The gross ore, which doesn’t pass through the screens meshes, falls in the crushers to be reduced in size, and then comes back to the bin through the recirculation conveyor, shown in Figure 4. The fine ore, which pass through the screens meshes, forms the output ore of the Crushing facility, and follows to a subsequent facility through the output conveyor, shown in Figure 5. Each feeder is driven by an induction motor powered by a variable frequency driver (VFD) to adjust its speed, and hence the mass flowrate delivered by the feeder.
Fig. 1. Illustration of the Secondary Crushing Facility of the Carajás Iron ore processing Plant.

Fig. 2. The Secondary Crushing Facility.

Fig. 3. One of the feeders under the bin.

Fig. 4. Recirculation conveyor.

Fig. 5. Output conveyor.
The total output mass flowrate of the Secondary Crushing facility is the main process variable. It’s measured by a dynamic weigher (belt scale) assembled in the output conveyor. The output flowrate must follow the production set-point defined by Plant Operators, according to the production demand. The output flow is subject to the following operational constraints:

1) **Capacity of the production lines, \( v_L(\text{max}) \)**
   
   Each pair feeder/screen defines a production line of the Crushing facility. The output flow of a line is given by the ore that pass down through its respective screen. Each feeder is calibrated so that the maximum flow \( v_L(\text{max}) \) of the line is 3,000 t/h. The ore that pass down through the screen is about 90% of the total ore delivered by the feeder, so that the maximum flow \( v_F(\text{max}) \) given by the feeder is about \( 3,000/0.9 = 3,300 \) t/h.

\[
\begin{align*}
v_F(\text{max}) &= 3,300 \text{ t/h} \\
v_L(\text{max}) &= 3,000 \text{ t/h}
\end{align*}
\]

2) **Number of feeders in operation, \( N \)**
   
   The output flow of the Crushing facility is the sum of the individual flows of the operating lines, and it is therefore limited by the maximum flow \( v_L(\text{max}) \) of the lines and by the number \( N \) of feeders in operation.

\[
y(\text{max}) = N \cdot v_L(\text{max})
\]

Thus, for example, the maximum total output flow with four feeders in operation is about 12,000 t/h.

3) **Time-delay, \( \tau \)**
   
   Each feeder (actuator) is located at a specific distance from the dynamic weigher (sensor), and therefore there are specific time-delays for each line, which are indicated in Table I, in Section III.

III. **THE CONTROL PROBLEM**

The control problem related to the feeders is described in the following.

**A. Performance with no automatic control**

According to the process description in Section II, the block diagram of the ore production process of the Secondary Crushing facility, is shown in Figure 6, where \( L_k \) represents the \( k \)-th line \((k = 1, 2, ..., 8)\); \( r_k \) is the input of the \( k \)-th feeder \((0\%\) to \(100\%\)); \( \tau_k \) is the time-delay for feeder \( k \); \( sp \) is the production set-point; and \( y \) is the total output flow of the facility, measured by the dynamic weigher.

In terms of operation, the feeders inputs \( r_k \) must be adjusted so that the output flowrate \( y \) can be stabilized around the production set-point \( sp \). In the original operation procedure, with no automatic control, the inputs \( r_k \) were manually adjusted by Plant Operators at the Control Room, through the Supervisory System. Under this open loop operation, the values of \( r_k \) could not be changed dynamically to compensate for variations in the output flowrate due to changes in the physical properties of the ore (density, moisture content, and size distribution) or due to stops of production lines. The operators had to continuously pay attention to the process through the Supervisory System to identify the need for compensations. This manual operation caused high workloads for the operators.

An example of open loop operation of the Crushing facility is shown in Figure 7, for a 15-minutes period. The Plant was operating with feeders 1 to 4 with the following individual set-points \( r_k \): \( r_1 = 81.17\% \), \( r_2 = 100\% \), \( r_3 = 80.18\% \), and \( r_4 = 100\% \). The lines at the top of the graph indicate the operating status of the feeders \((1: \) operating; \(0: \) stopped\)). Those status lines are in slightly different scales in the graph to avoid overlapping, and they are also sequentially ordered for each feeder, so that the line at the uppermost position relates to feeder 1. The production set-point \( sp \) and the output flowrate \( y \) are in the same scale.

The output flowrate was initially stabilized at about \( y = 9,350 \) t/h, however, bellow the production set-point \( sp = 10,000 \) t/h, due to the open loop operation. At the instant indicated by the arrow, the feeder 1 stopped operating and led the output flowrate to fall to \( y = 7,080 \) t/h, with no further compensation by the remaining operating feeders. Similar situation should occur in the case of starting any feeder with the output flowrate already stabilized at set-point \( sp \): the operators must have to manually reduce the individual set-points \( r_k \) of the operating feeders before starting an additional feeder.

Furthermore, to assure overload protection of the output conveyor, the production set-point \( sp \) was also used as a protective on-off limiter for the output flowrate \( y \): whenever \( y \) exceeds \( sp \) for 6 seconds, one of the operating feeders would be stopped to force \( y \) to decrease below \( sp \). As an example, Figure 8 shows the set-point \( sp \), the output flowrate \( y \), and the operating status of the feeders for a 50-minutes period. The six arrows indicate stoppings of feeder 2 by the protective on-off limiter. Such stoppings became frequent in open loop operation, leading to losses of production.
2) Productivity losses due to feeder stoppings

In case of stopping of a production line, the total output flowrate \( y \) will fall and stay at a lower value if there is no further increase of the individual inputs \( r_k \) of the remaining operating feeders. This condition leads to losses of production, as exemplified in Figure 7.

3) Operational safety on feeder startings

In case of starting of any feeder, the total output flowrate \( y \) will naturally increase. However, depending on the current set-point \( sp \), the total output flow \( y \) may exceed the value of \( sp \) causing actuation of the protective on-off limiter of the output conveyor. Hence, the operators must decrease manually the individual inputs \( r_k \) of the operating feeders before starting any additional feeder.

In short, the Secondary Crushing facility had losses of production due to its open loop operation with the feeders set-points being determined manually by the operators, without feedback of the total output flowrate, and disregarding the effects of starting or stopping feeders. This ineffective operational scenario motivated the implementation of a regulatory control strategy for the feeders, in order to reduce the production losses resulting from the open loop operation.

C. The Process Model

By observing in loco the ore flow of the production lines, and analyzing recorded flowrate data measured by the dynamic weigher, one was concluded that the lines could be represented by a first-order plus time-delay (FOPDT) transfer function model [7,8]. The first-order model was found suitable because the feeder’s driver system is inherently overdamped. In addition, several flowrate response curves from all the lines were analyzed. For all the lines, the DC gain was found near unity, \( K \approx 1 \), and the time constant was evaluated as \( T \approx 6.3 \text{ s} \). Thus, the dynamic model considered for each production line was:

\[
G(s) = \frac{K}{Ts + 1} e^{-\tau s} = \frac{1}{6.3s + 1} e^{-\tau s}
\]  

(4)

The time-delays of the production lines were evaluated from recorded flow data, resulting in the approximate values shown in Table I. Notice that the time-delays are significantly higher than the time constant. The process model in (4) was used in the designing and evaluation of the automatic control strategy.

IV. THE CONTROL STRATEGY

The control strategy is described in the following.

A. Switching Regulatory Control for a Time-Delayed Process

For a process with high time-delay controlled by a proportional-integral (PI) controller, the integral gain of the controller should be sufficiently low to avoid excessive overshoots and oscillations in the process output. Nevertheless, lower gains may lead to slower outputs with higher settling times. The strategy used to deal with this
trade-off was a switching control between a constant control action and a PI control action. The constant control action should be defined by the steady state relationship between the process input (manipulated variable or control signal) and the process output (controlled variable or process output). The idea is to give a constant initial control action to force a fast initial response of the process output, and then turn to the PI control action to achieve the final regulation of the output.

For better understanding, the strategy will be exemplified regarding the control block in Figure 9, which represents a single line of the Crushing facility. The transfer function $G(s)$ is given by equation (4), and $C(s)$ is a PI controller tuned in such a way to avoid excessive overshoot in the output. The method used to tune the controller parameters was the Root Locus Method [7,8]. The resulting controller gains were: $K_p = 0.1$, and $K_I = 0.018$. Figure 10 shows the performance of the system for a set-point $r = 3,000$ t/h. The PI control signal $u$ starts increasing fastly due to the high actuating error caused by the time-delay of the output. The settling time is about 118 s. Now, in an attempt to make the output even faster, the integral gain of the controller was increased to $K_I = 0.025$, resulting in an output with higher overshoot, as shown in Figure 11. The higher value of $K_I$ amplifies the integral component of the control signal, leading the output to increase significantly beyond its steady state value. Clearly, the time-delay imposes a performance limitation: it’s not possible to make the output faster without increasing the overshoot significantly.

$$r \rightarrow C(s) \rightarrow G(s) \rightarrow e^{-\frac{s}{\tau}} \rightarrow u \rightarrow y$$

Fig. 9. Block diagram for closed loop control of a single production line.

To implement the switching control, the steady state relationship between the control signal $u$ and the output $y$ must be firstly determined. For the system in Figure 9, it can be shown that this steady state relationship has the form: $u_{ss} = (1/K)_y y_{ss} = a, r_{ss}$. Assuming that the controller $C(s)$ should stabilize the process output at the set-point $r$, thus $y_{ss} \approx r$, and therefore $u_{ss} = a r$. For the system in Figure 9, the output stabilizes in $y_{ss} = r = 3,000$ t/h, meaning a steady state relationship $u_{ss} = (3,000/3,000), y_{ss} = (1.0)r$, which is valid for any value of $r$. The steady state relationship defines the control signal that stabilizes the controlled variable in the set-point $r$. Therefore, whenever the set-point changes to a new value $r_n$, the process input will be momentarily switched to a constant control action $u_f = \beta, u_{ss}$ ($0 \leq \beta \leq 1$) for a specific “forcing time” $T_f$ in order to force a fast initial transitory output. When the forcing time ends, the process input is switched to the PI control signal to achieve the final regulation of the output. During the forcing time, by which the constant control action $u_f$ is acting on the process input, the PI controller stays in “manual mode” and its output is not changed by the error, but it follows the constant control signal to achieve “bumpless transfer” [7,8] when the process input is switched to the PI controller. $\beta$ and $T_f$ are design parameters which can be properly chosen with the use of simulations on the process model shown in Figure 9.

The performance provided by the switching control is shown in Figure 12. The constant control signal was chosen as 80% of the value $u_{ss}$ needed to stabilize the process variable at the set-point $r$, that is, $u_f = u_p = \beta, u_{ss} = 0.8u_{ss} = 0.8(1.0)r = 2,400$. This constant control signal actuates on the process input during a forcing time $T_f = 20$ s, by the end of which the process input is switched to the PI controller, which then performs the final regulation of the output. Here,

<table>
<thead>
<tr>
<th>LINE</th>
<th>L2</th>
<th>L1</th>
<th>L3</th>
<th>L4</th>
<th>L5</th>
<th>L6</th>
<th>L7</th>
<th>L8</th>
</tr>
</thead>
<tbody>
<tr>
<td>TIME-DELAY (sec)</td>
<td>19.1</td>
<td>20.1</td>
<td>21.1</td>
<td>22.0</td>
<td>23.0</td>
<td>24.0</td>
<td>24.8</td>
<td>25.8</td>
</tr>
</tbody>
</table>

Table I: Time-Delays of the Production Lines from the Crushing Facility

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The parameter $\beta$ defines the intensity of the constant control action $u_f$ and its increase makes the output $y$ faster. The increase of the forcing time $T_u$ tends to stabilize the output closer to the value $\beta r$. Several simulations performed with different values for $\beta$ and $T_u$ suggested two basic rules to choose such parameters:

- $T_u$ should be chosen between 80% and 90% of the time-delay $\tau$ of the process.
- $\beta$ should be chosen between 0.8 and 1.0, to achieve small overshoots in the process output. If a high overshoot results, one can reduce the gains of the controller, reduce $T_u$, or reduce $\beta$.

Since the main goal of work was to solve a practical control problem in an industrial context, it does not intend to formulate analytical criterions and formal equations for calculating $\beta$ and $T_u$. This is left as issue for further works.

### B. Parallel Switching Regulatory Control of Mass Flowrate

The switching control strategy explained in Section IV was applied in parallel to the eight feeders of the Crushing facility. The block diagram of the control system is shown in Figure 13. As the individual output flowrate of the feeders are not directly measured, the total output flow $y$ of the Plant was then fed back as a rating for the operating feeders, that is, for $M$ feeders in operation, the fraction of $y$ fed back to each feeder is $y_M = y/M$. Similarly, the individual set-points of the feeders are given as a rating of the production set-point $sp$ of the facility.

The switching parallel control strategy of the feeders was implemented using the RS-Logix® 5 software [14], which is the ladder-based language used to program the PLC that controls the Crushing facility, an Allen-Bradley PLC-5®/40E [13].

### V. Results

The ability of the switching parallel control strategy to compensate disturbances in the output flowrate $y$ due to startings and stoppings of feeders is shown in Figure 14. Initially, the Crushing facility started operating with feeders 1 to 6, and a production set-point $sp = 14,000$ t/h. The control system adjusted the output flowrate $y$ at the set-point, suppressing the steady state error from the open loop operation, as exemplified in Figure 7. Compare with the simulated performance in Figure 12. Also, notice in Figure 15 that the control signals (inputs of the feeders) remained with identical values, of about 74.35%, rather than the significantly different values given manually by the operators when the Crushing facility operates in open loop, as exemplified in Figure 7. Some minutes after the Crushing facility started operating, feeder 7 was started, so that the control system set the PI controllers to “manual mode” and switched the feeders input to a constant control $u_f = \beta u_{ss} = 0.8 \times 74.35 = 59.48\%$ for a forcing time $T_u = 20$ s. After this, the feeders inputs were switched back to their respective PI controllers to perform the final stabilization of the

![Fig. 13. Block diagram of the parallel switching control system.](image)

![Fig. 14. Performance of the parallel switching control to compensate startings and stoppings of the feeders.](image)

![Fig. 15. Control signals to the feeders.](image)
total output flowrate. Notice that the new steady state values of the control signals were decreased from 74.35% to 63.76% due to the higher number of operating feeders. Some minutes after, feeder 6 stopped operating due to equipment failure, leading the output flowrate $y$ to suddenly decrease. The control system instantly acted by increasing the control signals of the remaining operating feeders in order to compensate the stopping of feeder 6, thereby stabilizing again the output flowrate $y$ around the required set-point $sp$.

These results show the efficiency of the control system to automatically regulate the output flowrate of Crushing facility regarding operating changes and disturbances in the process.

VI. CONCLUSION

The switching control strategy implemented has allowed a good automatic regulation of the output flowrate of the Secondary Crushing facility, reducing production losses from the open loop operation. Also, the elimination of manual adjustments of the feeders inputs in the open loop operation was another important result obtained: rather than control manually the feeders, the operators have only to supervise the feeders operation. This reduced considerably the work load of the operators and improved their work conditions.

The design parameters $\beta$ and $T_u$ were based on some empirical knowledge about the industrial process of the Crushing facility. A suggestion for further works is the development of analytical criterions and equations for determination of $\beta$ and $T_u$ in a formal way.

Finally, one expects that this work encourages automation professionals in the conceiving of innovative control strategies for performance improvement of industrial plants.

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Controle Regulatório de Comutação Paralela do Fluxo de Minério de Ferro de Múltiplos com Atraso de Tempo

Resumo — O desempenho adequado de um processo industrial depende de malhas de controle regulatório para ajustar as variáveis de processo aos seus valores de referência desejados (set-points), bem como compensar eventuais distúrbios de carga sobre o processo. O controle regulatório é usado de forma fundamental na indústria para estabilização de variáveis de processo, sendo implementado através de arquiteturas de Sistemas de Controle de Planta, tais como SCADA (Supervisory Control and Data Acquisition) ou DCS (Distributed Control System). A ausência ou ineficiência de controle em um processo industrial sempre implica em alguma perda de produtividade, fazendo do controle regulatório um fator chave para manutenção ou aumento de desempenho de processos. Neste contexto, o presente trabalho descreve o desenvolvimento e implementação de uma estratégia de controle regulatório, baseada em chaveamento entre duas ações de controle, uma fixa e outra do tipo proporcional-integral (PI). A aptidão da estratégia em controlar o processo foi avaliada inicialmente através de simulações computacionais usando o modelo do processo. Finalmente, são apresentados e discutidos os resultados obtidos com a implementação prática da estratégia à instalação industrial.

Palavras-chave — controlador lógico programável, controle de vazão mássica, controle paralelo chaveado, controle PID, controle regulatório.